Given a Noetherian local ring \((R; m)\) and an ideal \(I\) in \(R\), there is a natural filtration \(\ldots I^2 \subseteq I \subseteq R\), called adic-filtration. One may construct a graded algebra \(F(I) = \bigoplus_{n \geq 0} I^n/mI^n\), called fiber cone or special ring. Moreover, naturally it is possible to generalize this algebra by using any filtration of ideals \(F : \ldots I_2 \subseteq I_1 \subseteq R\). It is denoted by \(F(F)\). The goal of this talk is to speak about the Gorenstein property of \(F(F)\) and its Castelnuovo-Mumford regularity.